# SECTION HEADING

# MATH 1121: Calculus I

## Description

Calculus I introduces the basic ideas of differential and integral calculus. Topics include: limits and continuity, differentiation of functions, applications of derivatives, definite and indefinite integrals, numerical integration, and applications of definite integrals.

#### **Credits**

#### **Prerequisite**

MATH 1113 or placement by multiple measures

#### Corequisite

None

## **Topics to be Covered**

- 1. Review of functions of various types.
- 2. Families of functions and modeling.
- 3. Limits and Continuity
- 4. Derivatives as rate of change, slope, and function.
- 5. Differentiability and Linear Approximation
- 6. Techniques for finding derivatives algebraically.
- 7. Using graphing and computer algebra system technology.
- 8. Applications for the Derivative including: curve sketching, optimization, economics, other rates of change
- 9. Integrals as areas, Riemann sums, functions and accumulators.
- 10. The Fundamental Theorem of Calculus and Corollaries.
- 11. Constructing antiderivatives graphically, numerically and analytically.
- 12. Brief introduction to separable differential equations
- 13. Applications for Integrals including velocity, position, areas, volumes, work, forces.

## **Learning Outcomes**

- 1. Explain the concept of limit from a graphical, numerical, and algebraic point of view. Be able to illustrate and calculate limits of a variety of algebraic and transcendental functions, and limits involving infinity.
- 2. Describe what it means for a function to be continuous. Identify various types of discontinuities.
- 3. Compute a derivative using the definition.
- 4. Find derivatives using differentiation rules and implicit differentiation.
- 5. Recognize the derivative as a rate of change and a slope. Use derivatives to solve application problems such as optimization and related rates.
- 6. Use the first and/or second derivative tests and limits to analyze important features of the graph of a function.
- 7. Recognize limits in indeterminate forms (quotient, product, difference, power) and apply L'Hopital's Rule appropriately to evaluate them.
- 8. Define the definite integral as a limit of Riemann sums.
- 9. Describe the relationship between derivative and definite integral as expressed in both parts of the Fundamental Theorem of Calculus, and apply it to evaluate definite integrals using antiderivatives.

### **Credit Details**

Lecture: 4

Lab: 0

OJT: 0

MnTC Goal Area(s): Goal Area 04- Mathematics/Logical Reasoning

### Minnesota Transfer Curriculum Goal Area(s) and Competencies

Goal Area 04: Mathematics/Logical Reasoning

- 1. illustrate historical and contemporary applications of mathematical/logical systems.
- 2. clearly express mathematical/logical ideas in writing.
- 3. explain what constitutes a valid mathematical/logical argument (proof).
- 4. apply higher-order problem-solving and/or modeling strategies.

### **Transfer Pathway Competencies**

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- 2. Describe what it means for a function to be continuous. Identify various types of discontinuities.
- 3. Compute a derivative using the definition.
- 4. Find derivatives using differentiation rules and implicit differentiation.
- 5. Recognize the deriviative as a rate of change and a slope. Use derivatives to solve application problems such as optimization and related rates.
- 6. Use the first and/or second derivative tests and limits to analyze important features of the graph and function.
- 7. Recognize limits in indeterminate forms (quotient, product, difference, power) and apply L'Hopital's Rule appropriately to evaluate them.
- 8. Define the definite integral as a limit of Riemann sums.
- 9. Describe the relationship between derivative and definite integral as expressed in both parts of the Fundamental Theorem of Calculus, and apply it to evaluate definite integrals using antiderivatives.